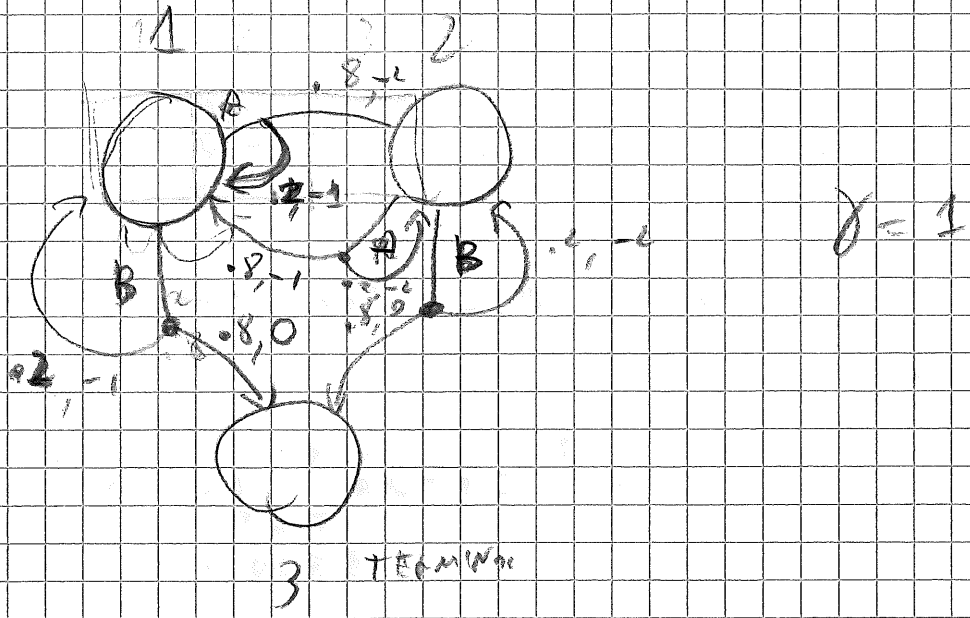


Ex 1

SECOND PARTIAL WRITTEN TEST

04/06/2018

Q1)



Q2) QUALITATIVELY DETERMINE BEST POLICY

$TC(1) = b$ $TC(2) = b$ BECAUSE WE WANT TO REACH STATE 3 AS SOON AS POSSIBLE

Q3) BOILTER OPTIONS OF VALUE ITERATIONS FOR STATE ① WHERE $V(3) = 0 \quad \forall j$

$$V^{t+1} = \max_a \sum_{s'} P(s', a, s) (R(s', a, s) + \gamma V^t(s'))$$

$$V^1(1) = \max_{a \in \{A, B\}} \sum_{s'} P(s', a, 1) (R(s', a, 1) + \gamma V^0(s'))$$

$$V^1(1) = \max_{A, B} \begin{cases} A \rightarrow 0.2 \times (-1 + 0) + 0.8 \times (-2 + 0) = -1.8 \\ B \rightarrow 0.2 \times (-1 + 0) + 0.8 \times (0 + 0) = -0.2 \end{cases}$$

$$V^1(1) = -0.2 \qquad V^1(2) = \begin{cases} A \rightarrow 0.8 \times (-1) + 0.2 \times (-1) \\ B \rightarrow 0 \times (0) + 0 \times (-1) = -0.6 \end{cases}$$

$$V^L(1) = \begin{cases} A \rightarrow .2 \times (-1 + (-0.2)) + .8(-2 + (-0.2)) = -2.10 \\ B \rightarrow .2 \times (-1 + (-0.2)) + .8(0 + 0) = -0.24 \end{cases}$$

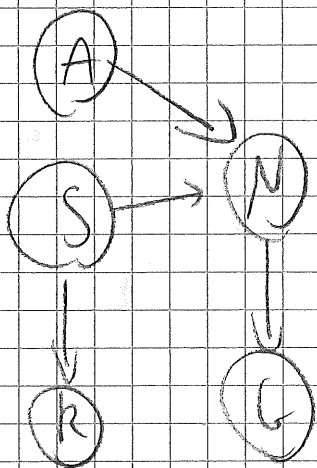
$$V^2(1) = -0.24$$

$$V^2(2) = -0.38$$

Q4) IS THE VALUE $V(2)$ IMPORTANT FOR THE COMPUTATION?

NO, BECAUSE THE OPTIMAL ACTION FOR STATE 1 IS ALWAYS B BECAUSE WE WANT TO QUIT THE GAME ASAP THIS COMP. IS INDEPENDENT OF $V(2)$

EXERCISE 2



Q1) CAN WE GUARANTEE THAT N IS COND. INDEP. FROM R GIVEN S, A ($P(N|S,A) = P(N|S,A,R)$)?

YES FOR LOCAL SEMANTICS:

R IS NON DEPENDENT OF N AND A AND S ARE THE PARENTS OF N

Q2) CAN WE SAY THAT A IS COND
 (INDEP FROM G GIVEN S) $P(A|G,S) = P(A|S)$

NO CAN NOT APPLY LOCAL SEM BECAUSE
 G IS A DESCENDANT OF A

CAN NOT APPLY M.B BECAUSE
 MB FOR A IS (S, N) BUT N IS
 NOT PART OF EVIDENCE.

MB(A) = PARENTS \cup CHILDREN \cup CHILDREN'S PARENTS
 ϕ N S = (S, N)

Q3) N° OF PARAM TO COMPUTE JOINT PROB
 IF S, N TERNARY WHILE A, R, G ARE BINARY

$$P(A, S, N, R, G) = P(A) P(S) P(N|A, S) P(R|S) P(G|N)$$

$$P(R) = P(0) + P(1|A, S) P(0) + P(1) P(0)$$

$$(1-1) + (1-1) + (1-1)(1)(1) + (1-1)(1) + (1-1)$$

$$1 + 2 + 2 + 2 \cdot 2 \cdot 3 + 1 \cdot 3 + 1 \cdot 3$$

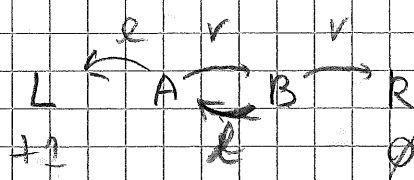
$$1 + 2 + 12 + 3 + 3 = \textcircled{21}$$

EXERCISE 3

NORMAL (EXERCISE FOR POLY)

SAMPLES: (A, V, B, \emptyset) , (B, V, R, \emptyset) , (A, V, B, \emptyset) , (B, V, R, \emptyset)

SAMPLES:



$(A, V, B, \emptyset) \rightarrow (B, V, R, \emptyset)$

$(A, V, B, \emptyset) \rightarrow (B, \emptyset, A, \emptyset)$

$(A, V, B, \emptyset) \rightarrow (B, \emptyset, R, A, \emptyset)$

$(A, \emptyset, A, \emptyset) \rightarrow (R, \emptyset, \emptyset, \emptyset)$

THIS IS NOT REQUIRED FOR SOLUTION CLARITY ADDED JUST FOR

THIS IS THE INPUT

Q1) SHOW THE ESTIMATION OF $t()$ AND $R()$ USING A DYNAMIC PROGRAM

	T	R
Count(A, V, B)	$1, 0 = 1/3$	$1/3$
Count(A, V)	$0 = 0/3$	0
B, V, A	$0 = 0/3$	0
B, V, R	$1, 0 = 1/3$	1
B, R, A	$1/3 = 1/3$	0
B, R, R	$1/3 = 1/3$	1

Q2) SHOW DIRECT EVALUATION FOR $v(s)$ (NOT USING BELLMAN UPDATE)

STATE	V			R
	E_1	E_2	E_3	
A	+1	0	1	2/3
B	+1	0	1	2/3

SAMPLE STATES	INITIAL		POLICY		FINAL	
	V^0	V^1	V^2	V^3	V^4	
A	0	0	.25	.3125		$\alpha = .5$ $\gamma = 1$
B	0	.5	.375	.6875		

SAMPLE

$$V^{\pi}(A) = (1 - \alpha) V^{\pi}(A) + \alpha (R(A, \pi) + \gamma V^{\pi}(S))$$

$$(A, V, B, \phi) \quad V^1(A) = (1 - .5) \times 0 + .5 (0 + 0) = 0$$

$$(B, R, R, 1) \quad V^1(B) = .5 \times 0 + .5 (1 + 0) = .5$$

$$(A, V, B, \phi) \quad V^2(A) = .5 \times 0 + .5 (0 + .5) = .25$$

$$(B, R, R, 1) \quad V^2(B) = .5 \times .5 + .5 (1 + .25) = .375$$

$$(A, V, B, \phi) \quad V^3(A) = .5 \times .25 + .5 (0 + .375) = .3125$$

$$(B, R, R, 1) \quad V^3(B) = .5 \times .375 + .5 (1 + 0) = .6875$$